## Abstract <br> A generalization of difference matrices and its applications to graph decompositions

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Given an additive group $G$ and a graph $\Gamma$ with vertex-set $V(\Gamma)=\left\{x_{1}, x_{2}, \ldots, x_{k}\right\}$, we define a ( $G, \Gamma, \lambda$ )-difference matrix to be a $(k \times \lambda|G|)$-matrix $M$ with entries from $G$ such that if $\left[x_{i}, x_{j}\right] \in E(\Gamma)$, then the difference between the $i$-th and $j$-th row of $M$ contains each element of $G$ exactly $\lambda$ times.

This is a generalization of the well known concept of a $(G, k, \lambda)$-difference matrix that, obviously, can be viewed as a $(G, \Gamma, \lambda)$-difference matrix where $\Gamma$ is the complete graph on $k$ vertices.

We show how our generalization is useful in the recursive construction for graph decompositions admitting a sharply vertex transitive automorphism group.

